

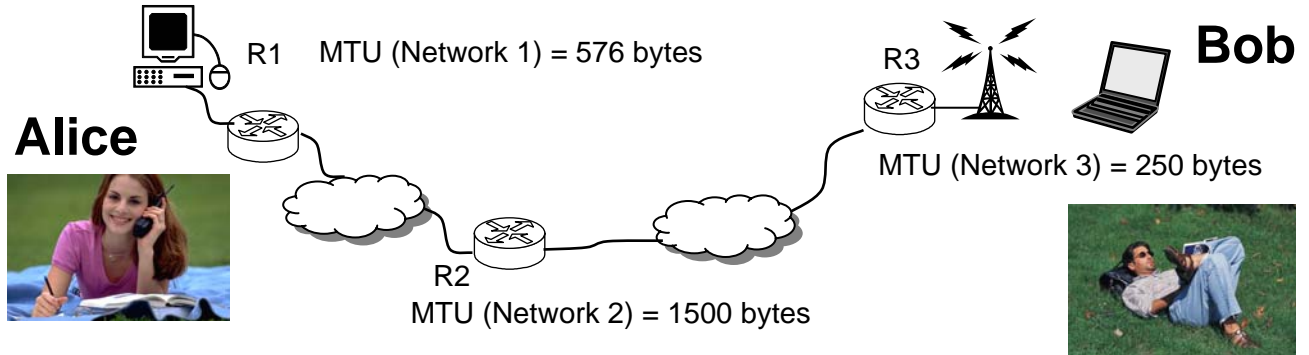
header. Fragment number need to be stated. Assume initial ID = 543

[8 points]

(d) How much time it needs to finish the transmission from R3 to Bob's computer?

Assume transmission delay, queuing delay, processing delay are all zero, the transmission rate is 100M bps from R3 to Bob's computer. [3 points]

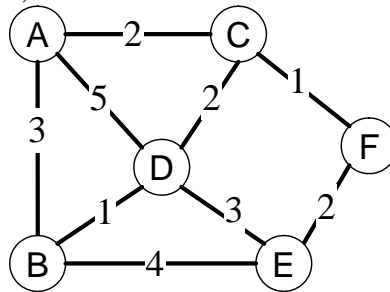
Show the work, not only the final result.



Problem 4 [15 points]

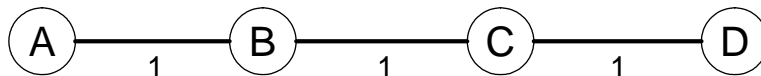
Consider the network shown below.

- (a) Use distance vector routing (Bellman-Ford algorithm) to find the set of shortest paths from all nodes to destination node B.
- (b) Suppose link B-D fails; show the first two iterations of what happens next.



Problem 5 [12 points]

Consider the following network, using distance-vector routing:



Suppose that, after the network stabilizes, link F-G goes down. Show the routing tables on the nodes A, B, and C, for the subsequent five exchanges of the distance vectors. How do you expect the tables to evolve for the future steps? State explicitly all the possible cases and explain your answer.

Problem 6 [16 points]

Multicast routing

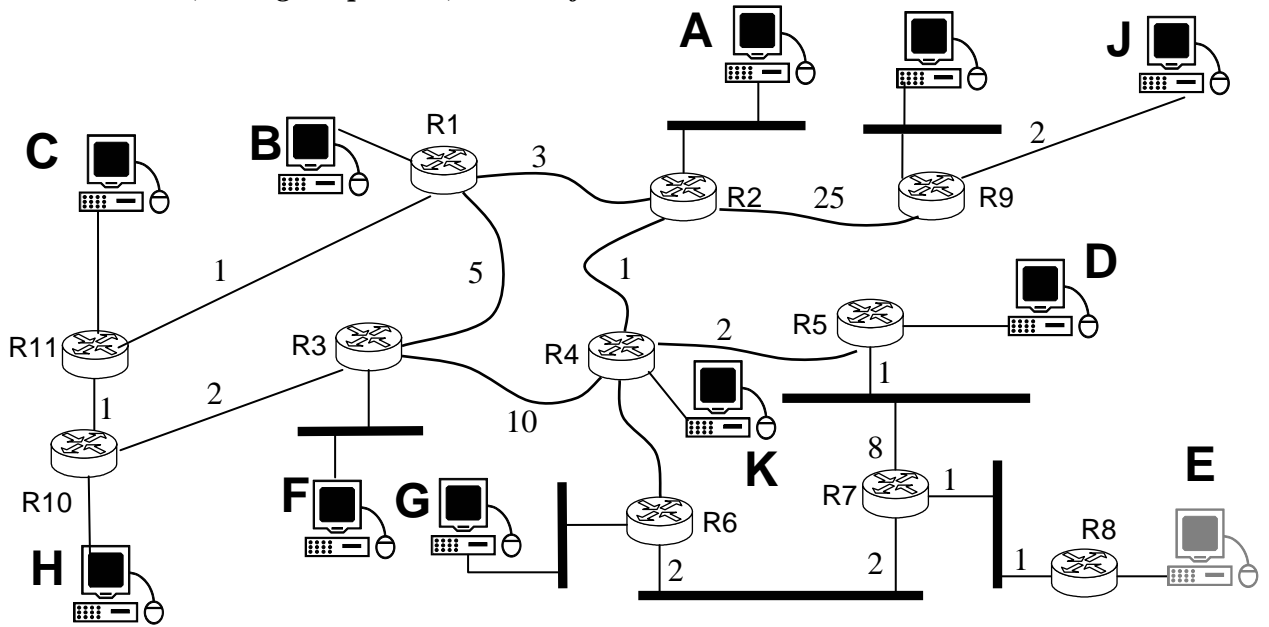
Consider the network shown in the figure below, in which source K sends packets to multicast group G , whose members are all the shown hosts. Costs of all links are shown. Show how to build these multicast trees:

- (a) Group-shared multicast tree assuming that $R4$ is the center node [7 points]
- (b) Assume source is node D , RPF (reverse path forwarding) algorithm is used, how many total packets get generated in the entire network [7 points]

After the multicasting tree is built, suppose H leaves the group.

- (c) The multicast features of RPF algorithm, such as pruning, is used. How many total packets get generated in the entire network per every packet sent by the source D ? *To avoid ambiguity, please explain clearly how you count the packets.* [2 points]

Show the work (tracing the packets) and the final result



Problem 7 [10 points]

Consider an $M/G/1$ queue with the arrival and service rates λ and μ , respectively. What is the probability that an arriving customer will find the server busy (i.e., serving another customer)? Explain your answer.