

**332: 559 Optical Computer/Communication Networks — Spring 2001**

**Potential Questions for Exam II**

**Exam II, Monday, April 30, SEC 212, 6:10–7:30**

Up to Section 8.5

*CN = Class Notes; RS = Ramaswami and Sivarajan Textbook*

1. Explain the modulation technique used in optical networks. (CN, p. 78–79; RS, p. 177–179).
2. Explain the demodulation process using an ideal photo detector and define its bit-error-rate (BER), (CN, p. 80–81; RS, p. 180–181).
3. Explain the procedure of deriving BER for a realistic (practical) receiver (CN, p. 82–84; RS, p. 186–188).
4. Define the power penalty (PP) due to practical optical network impairments and present the practical PP table including the given values (CN, p. 86; RS, p. 205–206).
5. Derive the power penalty formula for the transmitter (CN, p. 87; RS, p. 207–208).
6. Discuss imperfections (limitations) of EDFA (CN, p. 88–90; RS, p. 209–212).
7. Explain how do we cope with the power transient and gain saturation in EDFA (CN, p. 90–92; RS, p. 213–216).
8. Derive power penalties due to intracross talk and intercross talk and present the corresponding graphs: PP vs crosstalk in [dB]. How the graphs look like in the case of an optical network with many nodes. (CN, p. 93–95; RS, p. 218–223).
9. Present the graph: dispersion vs wavelength for SMF, NDF, and DSF single mode fibers (CN, p. 96; RS, p. 229).
10. Present the graph: bit rate vs modal, chromatic, and polarization mode dispersions (CN, p. 97; RS, p. 234).
11. Derive the expression for the effective length in optical systems with amplifiers and present the graph:  $PL_e$  vs amplifier spacing (CN, p. 98–99; RS, p. 235–237).
12. Explain the stimulated Brillouin scattering nonlinear phenomenon (CN, p. 100–101; RS, p. 238–240).
13. Explain the stimulated Raman scattering nonlinear phenomenon (CN, p. 101–102; RS, p. 240–243).
14. Present the star topology and discuss its loss (no need to go through derivations). CN, p. 107–108; RS, p. 292–294.
15. Present the bus topology and discuss its loss (no need to go through derivations). CN, p. 108–109; RS, p. 293–294.
16. Discuss the synchronization procedure for the star coupler. CN, p. 110–111; RS, p. 298–300.
17. Explain the SA/SA basic and modified protocols. CN, p. 111–113; RS, p. 300–303.
18. Derive the throughput formula for the basic SA/SA protocol and draw graphs throughput vs expected number of data packets for both the basic and modified SA/SA protocols. CN, p. 113–114; RS, p. 303–306.
19. Discuss the DT-WDMA protocol. CN, p. 115–117; RS, p. 307–309.
20. Present the throughput analysis of the DT-WDMA protocol and comment on the impact of scheduling. Present the delay vs load graph. CN, p. 117–118; RS, p. 309–310, 313.
21. Present the main features of the optical layer. CN, p. 122.; RS, p. 334, 336.
22. Draw a diagram for an all-optical WXC (wavelength crossconnector) with no wavelength conversion. CN, p. 125; RS, p. 342.
23. Draw a diagram for an all-optical WXC (wavelength crossconnector) with wavelength conversion. CN, p. 126; RS, p. 342.
24. Draw an arbitrary static WXC, write its connectivity matrix, and draw the corresponding graph. CN, 130–131; RS, p. 353–355.
25. Explain how the graph coloring problem can be related to the wavelength assignment problem (CN, p. 135; RS, p. 368–369).
26. Define the wavelength assignment problem for line and ring networks and give simple examples (CN, p. 136; RS, p. 371–372).
27. Present linear lightwave networks (CN, p. 138–139; CN, p. 384–388).
28. Define OTDM using bit interleaving and packet interleaving techniques (CN, p. 140–141; RS, p. 516–518).
29. Present the multiplexing technique via bit interleaving used in OTDM. (CN, p. 142–143; RS, p. 519–520).
30. Present the demultiplexing technique via bit interleaving used in OTDM. (CN, p. 143–144; RS, p. 520–521).
31. Present the multiplexing technique via packet interleaving used in OTDM. (CN, p. 144–145; RS, p. 521–522).

32. Present the demultiplexing technique via packet interleaving used in OTDM. (CN, p. 146; RS, p. 523–524).  
 33. \*\*\* (Problem 4.5). Show that BER for an OOK direct detection receiver is given by

$$BER = Q\left(\frac{I_1 - I_0}{\sigma_1 + \sigma_0}\right)$$

34. \*\*\* (Problem 4.6). Show that the threshold current in OOK direct detection receiver is given by

$$I_{th} = \frac{\sigma_0 I_1 + \sigma_1 I_0}{\sigma_0 + \sigma_1}$$

35. \*\*\* (Problem 5.17). Neglecting the depletion of the pump wave solve

$$\frac{dI_s}{dz} = -g_B I_p I_s + \alpha I_s, \quad \frac{dI_p}{dz} = -g_B I_p I_s - \alpha I_p, \quad P_s(L), P_p(0) \text{ given}$$

36. \*\*\* (Problem 7.1). Starting with the electric field formula of a  $2 \times 2$  directional coupler, that is

$$\begin{bmatrix} E_{01}(f) \\ E_{02}(f) \end{bmatrix} = e^{-i\beta l} \begin{bmatrix} \cos(kl) & i \sin(kl) \\ i \sin(kl) & \cos(kl) \end{bmatrix} \begin{bmatrix} E_{i1}(f) \\ E_{i2}(f) \end{bmatrix}$$

derive the corresponding formula for optical powers, that is

$$\begin{bmatrix} P_{01}(f) \\ P_{02}(f) \end{bmatrix} = (1 - \gamma) \begin{bmatrix} 1 - \alpha & \alpha \\ \alpha & 1 - \alpha \end{bmatrix} \begin{bmatrix} P_{i1}(f) \\ P_{i2}(f) \end{bmatrix}$$

37. \*\*\* (Problem 7.3). Derive the loss formula  $L_{loss}^{opt} \approx 8.7 + 20 \log_{10}(n) - (2n - 1) \log_{10}(\gamma)$  for the bus topology.  
 38. \*\*\* (Problem 7.7). prove that in the modified SA/SA protocol the probability that no data packet is transmitted on a given data slot is  $1 - Ge^{-G}/W$ , where  $G$  is the arrival rate of control packets in each control slot. Assume the traffic is uniform.  
 39. \*\*\* (Problem 7.8). Prove that for all values of  $W, L$ , and  $G$ , the modified SA/SA protocol has a throughput at least as high as that of the basic SA/SA protocol.  
 40. \*\*\* (Problem 7.9). For fixed  $W$  and  $L$ , what is the value of  $G$  that minimizes the throughput of the basic SA/SA protocol? Repeat for the modified SA/SA protocol.  
 41. \*\*\* (Problem 7.10). For fixed  $W$  and  $G$ , what is the value of  $L$  that minimizes the throughput of the basic SA/SA protocol? Repeat for the modified SA/SA protocol.  
 42. \*\*\* (Problem 8.14). Prove Theorem 8.2 that states that  $W = (n!)^{1/2n}$  is the necessary number of wavelengths for permutation routing in a static network with  $n$  users.  
 43. \*\*\* (Problem 14.1).  
 44. \*\*\* (Problem 14.2).